		Audio Special Effects	
	Aud	io Effects	
Audio Special Effects	•	<b>Q:</b> What is an <b>audio effect</b> ?	
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University of Toronto		A: artificially enhanced sound or sound processes used to emphasize artistic content in films, television, shows, live performance, animation, video, games, music or other m	
fessor Deepa Kundur (University of Toronto) Audio Special Effects	1 / 83 Professor De	epa Kundur (University of Toronto) Audio Special Effects	2 /
Audio Special Effects Common Audio Special Effects		Delay-Based Special Effects	
Two common types:			
<ul> <li>Delay-based special effects</li> </ul>			
<ul> <li>simple echo</li> <li>reverberation</li> <li>flanging</li> <li>chorus</li> </ul>		Delay-Based Special Effects	
Rate-conversion special effects			
<ul> <li>downsampling (decimation)</li> <li>upsampling</li> <li>voice gender changers</li> </ul>			
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Delay-Based Special Effects	Delay-Based Special Effects
Delay Effects	Analog and Digital Delays
<ul> <li>Q: What is a delay effect?</li> <li>A: audio effect which records an input signal to an audio storage medium and then plays it back (possibly multiple times) into the recording again to create the sound of a repeating decaying echo.</li> </ul>	<ul> <li>Analog delay</li> <li>created by recording in a naturally reverberant space</li> <li>achieved using tape loops improvised on reel-to-reel magnetic recording systems</li> <li>signal is recorded on analog tape and played back from same piece of tape through the use of two different record and replay heads</li> </ul>
<ul> <li>Q: What is this so popular?</li> <li>A: easy to achieve even before the use of computers while adding an attractive <u>texture</u> to the music.</li> </ul>	<ul> <li>adjusting loop length and distance between the read and write heads enables control over delayed echo</li> <li>Digital delay         <ul> <li>first introduced in 1984 by Boss Corporation</li> <li>provides great flexibility, portability and programmability</li> </ul> </li> </ul>
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Delay-Based Special Effects	Delay-Based Special Effects Echoes

Examples of Delay Effects

Delay-based special effects:

- ► simple echo
- ► reverberation
- flanging
- chorus

<u>Note</u>: Check out course website on Handouts page for an example of a simple echo.

### Single Echo

- Q: How can we achieve a <u>single</u> echo from a given sound signal x(n)?
  - A: add a delayed and attenuated version of x(n) to itself.

 $y(n) = x(n) + \alpha x(n-n_0)$ 

<u>Note</u>: The audio example available on the course web page was generated using  $\alpha = 0.35$  and  $n_0 = 20000$  with  $F_s = 44 kHz$ . Thus the echo delay is 20000/44000 = 0.45 sec.

### Delay-Based Special Effects Echoes

### Single Echo

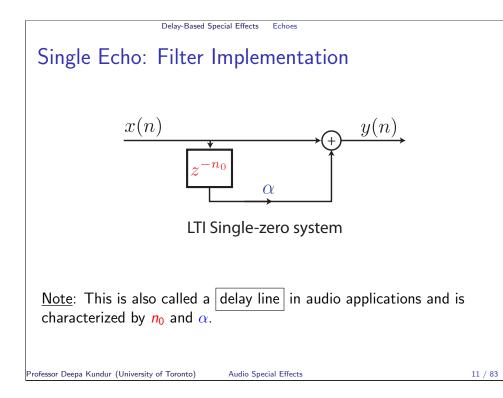
Q: How can we characterize this single echo generation system? *Hint:* The system is linear time-invariant?

Audio Special Effects

• A: impulse response and frequency response.

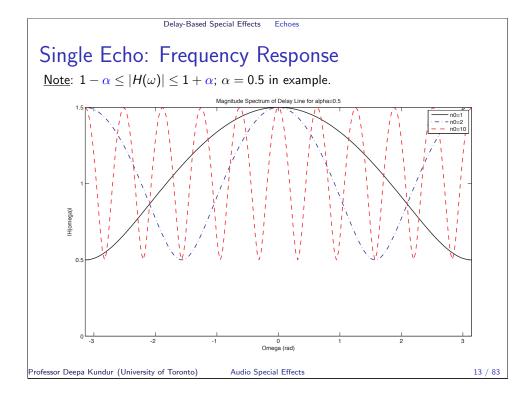
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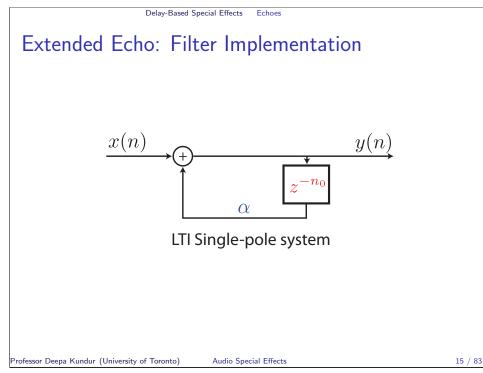
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# Delay-Based Special Effects Echoes Single Echo: Impulse Response $y(n) = x(n) + \alpha x(n - n_0)$ Let $x(n) = \delta(n)$ to give y(n) = h(n). $\therefore h(n) = \delta(n) + \alpha \delta(n - n_0)$ . Professor Deepa Kundur (University of Toronto)

### Draw-Based Special Effects Echoes Single Echoe: Frequency Response $h(n) = \delta(n) + \alpha \delta(n - n_0) \quad \text{FIR system}$ $H(\omega) = \sum_{n=-\infty}^{\infty} h(n)e^{-j\omega n}$ $= \sum_{n=-\infty}^{\infty} [\delta(n) + \alpha \delta(n - n_0)] e^{-j\omega n} = 1 + \alpha e^{-j\omega n_0}$ $|H(\omega)| = \sqrt{1 + \alpha^2 + 2\alpha \cos(\omega n_0)}$ Note: $1 - \alpha \le |H(\omega)| \le 1 + \alpha$ .





### Extended Echo: Impuse Response

Consider an infinite series of echos geometrically decaying in amplitude and with equally spaced delays:

$$y(n) = x(n) + \alpha x(n - n_0) + \alpha^2 x(n - 2n_0) + \cdots$$

Let 
$$x(n) = \delta(n)$$
 to give  $y(n) = h(n)$ .

$$\therefore h(n) = \delta(n) + \alpha \delta(n - n_0) + \alpha^2 \delta(n - 2n_0) + \cdots$$
$$= \sum_{k=0}^{\infty} \alpha^k \delta(n - kn_0)$$

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## $\begin{aligned} \text{Extended Echo: Frequency Response} \\ h(n) &= \sum_{k=0}^{\infty} \alpha^k \delta(n - kn_0) \quad \text{IIR system} \\ H(\omega) &= \sum_{n=-\infty}^{\infty} h(n)e^{-j\omega n} \\ &= \sum_{n=-\infty}^{\infty} \left[\sum_{k=0}^{\infty} \alpha^k \delta(n - kn_0)\right] e^{-j\omega n} \\ &= \sum_{k=0}^{\infty} \sum_{n=-\infty}^{\infty} \alpha^k e^{-j\omega n} \delta(n - kn_0) \\ &= \sum_{k=0}^{\infty} \alpha^k e^{-j\omega kn_0} = \sum_{k=0}^{\infty} (\alpha e^{-j\omega n_0})^k = \frac{1}{1 - (\alpha e^{-j\omega n_0})} \end{aligned}$ for $|\alpha| < 1$ . Instability occurs for $\alpha > 1$ .

Audio Special Effects

### Delay-Based Special Effects Echoes

### Extended Echo as Reverberation

- Consider an original sound source x(n) of finite duration in the order of a few seconds.
- Specifically, let its time duration be T<sub>d</sub> sec and its sample duration be N<sub>d</sub> = L<sup>T<sub>d</sub></sup>/<sub>T</sub> = L T<sub>d</sub> ⋅ F<sub>s</sub> samples.
- ► Let the echo generation parameters be |α| < 1 and n<sub>0</sub> "small" such that

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$$n_0 \cdot T = rac{n_0}{F_s} \ll 1$$

(normally in the order of 0.01 - 1 msec)

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Delay-Based Special Effects Echoes

Reverberation

Good examples at:

http://www.youtube.com/watch?v=cGBn7sU6m3k

### Extended Echo as Reverberation

- When the original sound source is present, the echoes overlap first building up the overall sound effect.
  - For a source that is  $T_d$  sec in duration,

No. Overlapping Echoes = 
$$\left[ T_d \frac{F_s}{n_0} \right] = \left[ \frac{N_d}{n_0} \right] \gg 1$$

 After the original source has stopped, the overall sound decays due to the echo reflections that eventually die out due to α < 1; sounds like you are in a music hall.

This overall process is a type of <u>reverberation</u>.

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Delay-Based Special Effects Reverberation

### Reverberation

### Recall,

- First the echoes overlap with the original source signal building up the sound effect.
- When the original source has stopped, the sound may temporarily persist and then eventually die out.

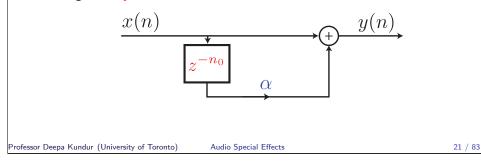
There are other ways to achieve a "richer" reverberation than our prior example . . .

### Delay-Based Special Effects Reverberation

### Reverberation

Example: More realistic reverb using multiple delay lines

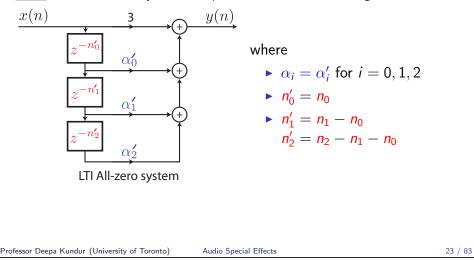
- Use multiple delay lines with delays that are relatively prime, so that the echoes emanating from each lines do not ever overlap giving a richer sound.
- Single delay line:



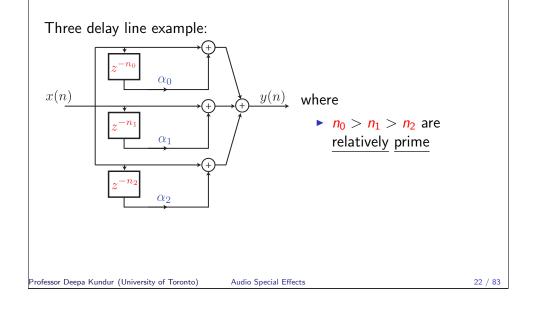
Delay-Based Special Effects Reverberation

### Reverberation

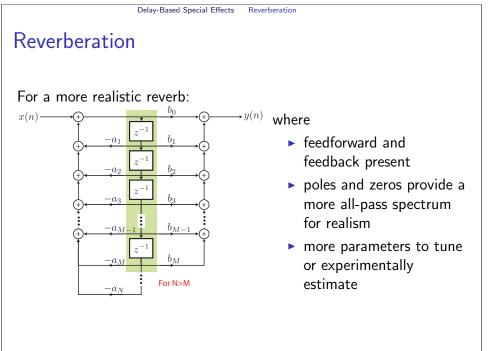
<u>Note</u>: the three delay line is equivalent to the following:



### Delay-Based Special Effects Reverberation



Reverberation



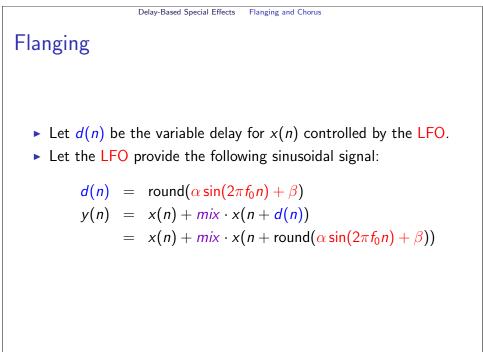
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•	process of mixing two signal together that are nearly identical such that one signal is a slightly variably delayed version of the other
	manifests like a "swooshing" sound
•	a variation of this sound often occurs when instruments are trying to tune to a tuning fork
ofessor [	Deepa Kundur (University of Toronto) Audio Special Effects 25 / 8
	Delay-Based Special Effects Flanging and Chorus
Fla	nging
Fla	nging
Fla	nging Low Freq Oscillator
Fla	Low Freq
	$x(n) \xrightarrow{Variable} \xrightarrow{mix} y(n)$

Delay-Based Special Effects Flanging and Chorus

# Delay-Based Special Effects Flanging and Chorus Flanging Good examples at: http: //www.youtube.com/watch?v=NAqQvs\_WXs8&feature=related Profesor Deepa Kundur (University of Toronto) Auto Special Effects Flanging and Chorus



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### Delay-Based Special Effects Flanging and Chorus

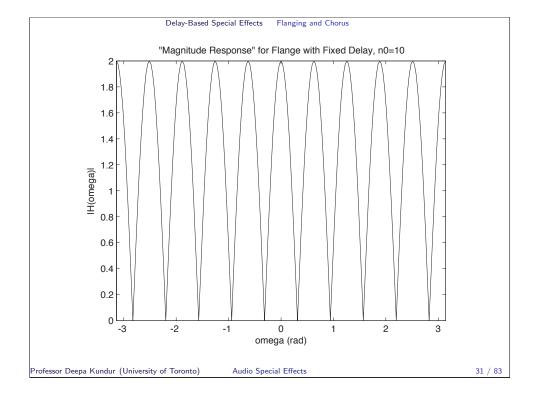
### Flanging

### $y(n) = x(n) + mix \cdot x(n + round(\alpha \sin(2\pi f_0 n) + \beta))$

- <u>rate</u> is given by  $f_0$  and is generally small; typically  $f_0 \cdot F_s$  should be 0.7 Hz (classical flange sound) up to 6 Hz (slight whammy effect) or even 20 Hz (mechanistic warble effect).
- sweep depth is given by 2α; α should be selected so that the temporal (i.e., refers to seconds not samples) sweep depth is around a couple of milliseconds.
- delay is given by  $\beta \alpha$  and represents the minimum delay reached by the LFO; typically  $\beta$  should be set so that the delay is 1-10 milliseconds; note: human ear will perceive an echo (not flange) if the delay is more than 50-70 milliseconds!

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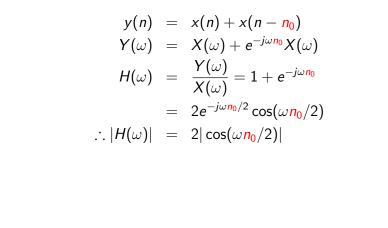
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### Delay-Based Special Effects Flanging and Chorus

### Flanging: Instantaneous "Frequency Response"

Consider fixed delay  $n_0$  and mix = 1:



### Delay-Based Special Effects Flanging and Chorus

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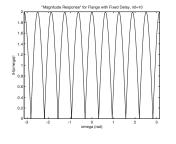
 spectrum nulls occur when argument of the cosine is an odd multiple of π:

$$\omega rac{n_0}{2} = (2k+1)\pi$$
 or  $\omega = rac{2(2k+1)\pi}{n_0}$ 

for k = 0, 1, 2, ...

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• If the delay  $n_0$  varies, then so do the spectrum nulls.



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### Delay-Based Special Effects Flanging and Chorus

### Flanging: Instantaneous "Frequency Response"

Thus, one can envision flanging as being the result of changing the position of the nulls of the frequency response.

A cautionary note: the flanging system is not LTI therefore, it's frequency response does not fully characterize it, or we may say it has no frequency response!

Thus, this analysis is just a tool to intuitively explain the flange effect.

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Delay-Based Special Effects Flanging and Chorus

Chorus

- A chorus effect sounds likes more than one instrument is playing.
- ► Good examples at:

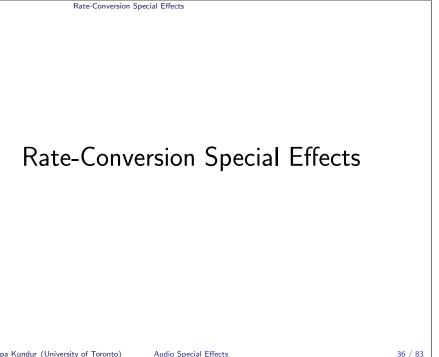
http://www.youtube.com/watch?v=ZSL1w9UeSgc

### From Flange to Chorus

- ► Overall a classic flange has a delay ranging between 1 10 milliseconds.
- ▶ To create a chorus effect, this delay range must be between 30 -50 milliseconds
- ► A delay above 50 milliseconds will be perceived as an echo.

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Audio Special Effects



### **Rate-Conversion Special Effects**

- Shifting, stretching and/or expanding spectral information across frequency bands can provide interesting effects especially for voice signals.
- Roughly speaking moving spectral content to lower frequencies adds base making a voice sound more male. Similarly, moving spectral content to higher frequency adds treble making a voice sound more female.
- One way to achieve spectral shifts, stretches and expansions is through sampling rate conversion.

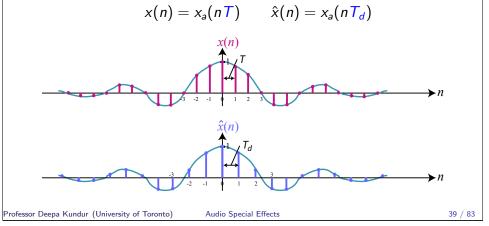
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Rate-Conversion Special Effects

### Sampling Rate Conversion

Goal: Given a discrete-time signal x(n) sampled at period T from an underlying continuous-time signal x<sub>a</sub>(t), determine a new sequence x̂(n) that is a sampled version of x<sub>a</sub>(t) at a different sampling rate T<sub>d</sub>.



### Sampling Rate Conversion

### **Reference:**

Sections 11.2, 11.3 and 11.4 of

John G. Proakis and Dimitris G. Manolakis, *Digital Signal Processing: Principles, Algorithms, and Applications*, 4th edition, 2007.

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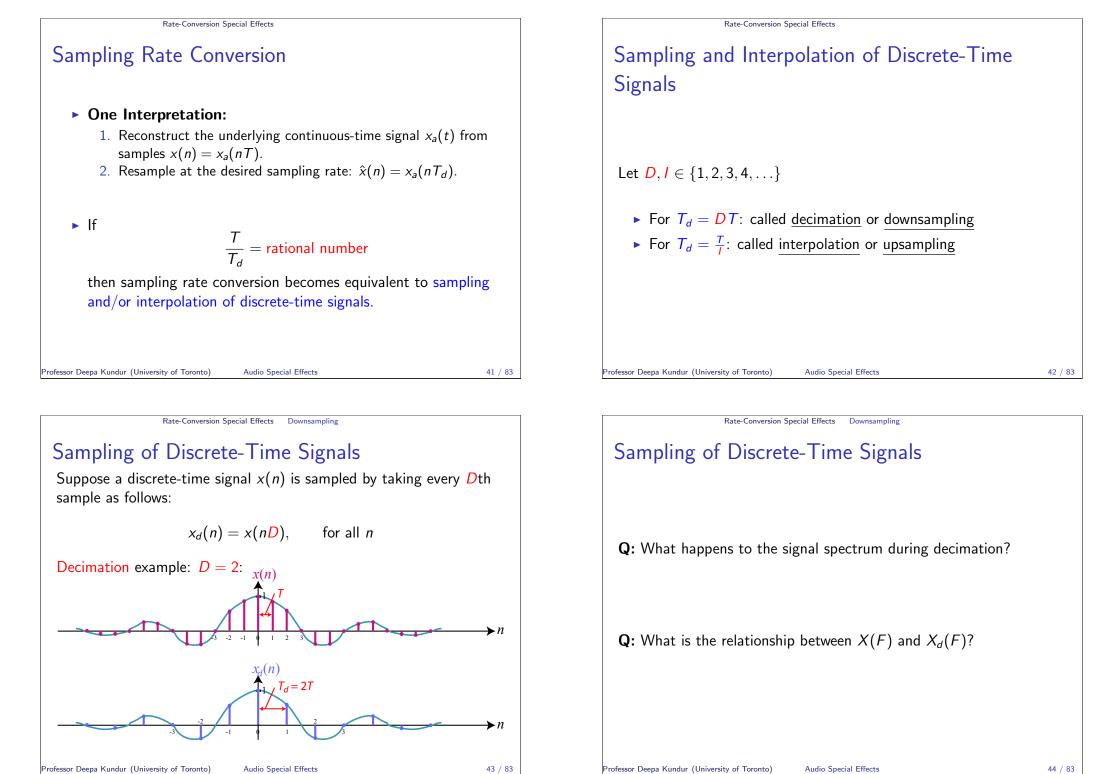
### Rate-Conversion Special Effects

### Sampling Rate Conversion for Audio Effects

Two fundamental questions for use in audio effects applications:

- What does sampling rate conversion do to the frequency spectrum of a signal?
- How is it best to implement sampling rate conversion?

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### Rate-Conversion Special Effects Downsampling

### Sampling of Discrete-Time Signals

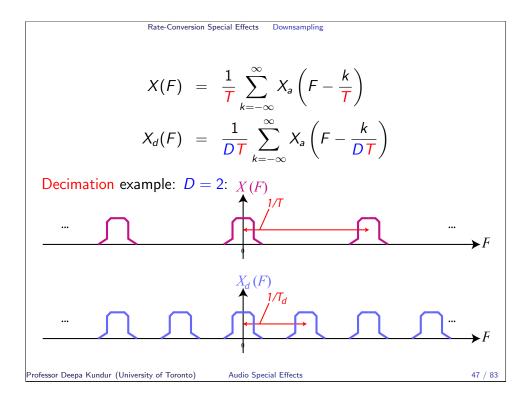
Recall when we sample a continuous-time signal x(t) to produce x(n), we have the following relationships:

$$\begin{aligned} x(n) &= x_a(nT) \quad \stackrel{\mathcal{F}}{\longleftrightarrow} \quad X(F) = \frac{1}{T} \sum_{k=-\infty}^{\infty} X_a\left(F - \frac{k}{T}\right) \\ \text{sampling} \quad \stackrel{\mathcal{F}}{\longleftrightarrow} \quad \text{periodic extension} \end{aligned}$$

Audio Special Effects

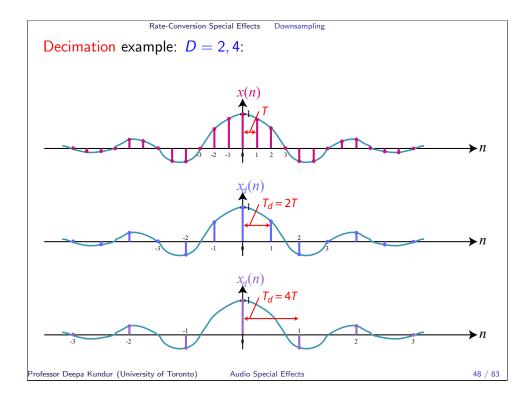
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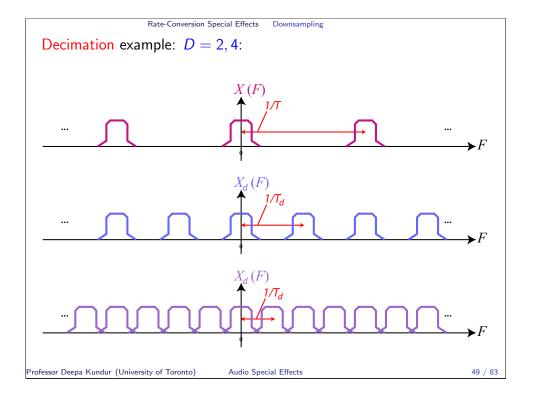
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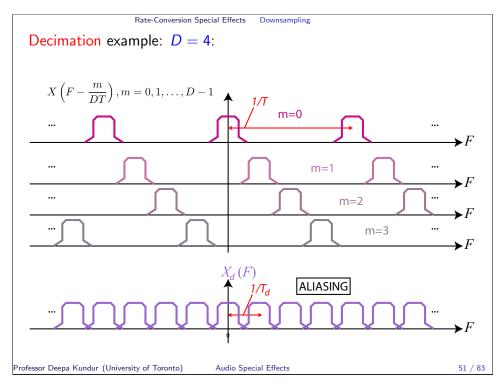


### Suppose $\begin{aligned} x_d(n) &= x(nD) &= x_a(nD, T) \\ x(n) &= x_a(nT) \end{aligned}$ $\begin{aligned} x(n) &= x_a(nT) \\ X(F) &= \frac{1}{T} \sum_{k=-\infty}^{\infty} X_a\left(F - \frac{k}{T}\right) \\ x_d(n) &= x_a(nD, T) \end{aligned}$ $\begin{aligned} X_d(F) &= \frac{1}{DT} \sum_{k=-\infty}^{\infty} X_a\left(F - \frac{k}{DT}\right) \end{aligned}$ Protesor Deeps Kundr (University of Toroto) Auto Section Effects = 26 J and 26 J an

Rate-Conversion Special Effects Downsampling







Rate-Conversion Special Effects Downsampling

### Sampling of Discrete-Time Signals

Therefore, from

$$X(F) = \frac{1}{T} \sum_{k=-\infty}^{\infty} X_a \left( F - \frac{k}{T} \right)$$
$$X_d(F) = \frac{1}{DT} \sum_{k=-\infty}^{\infty} X_a \left( F - \frac{k}{DT} \right)$$

By inspection, we have:

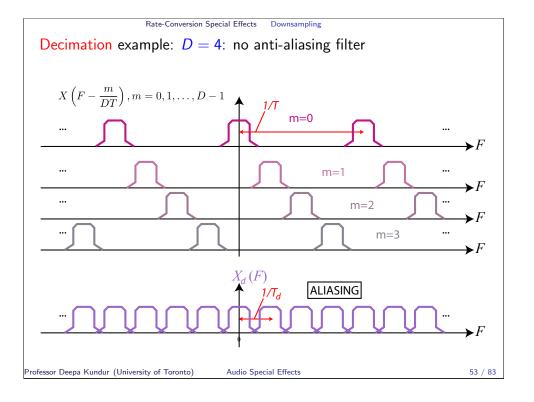
$$X_d(F) = \frac{1}{D} \sum_{m=0}^{D-1} X\left(F - \frac{m}{DT}\right)$$

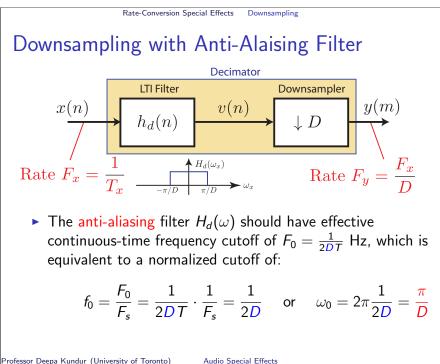
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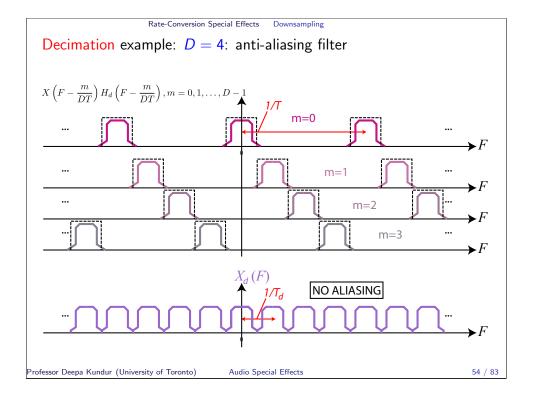
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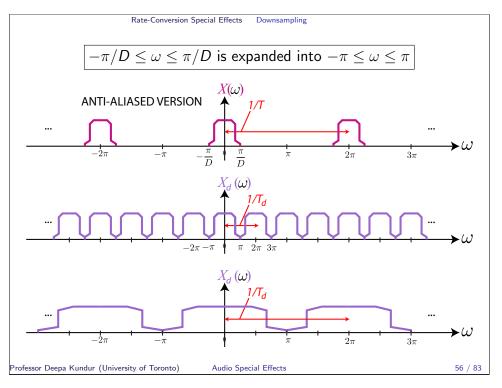
### Aliasing from Decimation Thus, $Cts-time Sampling \iff X_a(F) \text{ repeated infinite times} \\ Dst-time Sampling \iff X(F) \text{ repeated finite times}$ To avoid aliasing when decimating via factor D: $Maximum \text{ Frequency } \leq \frac{1}{2DT}$ Thus an anti-aliasing filter is applied prior to decimation.

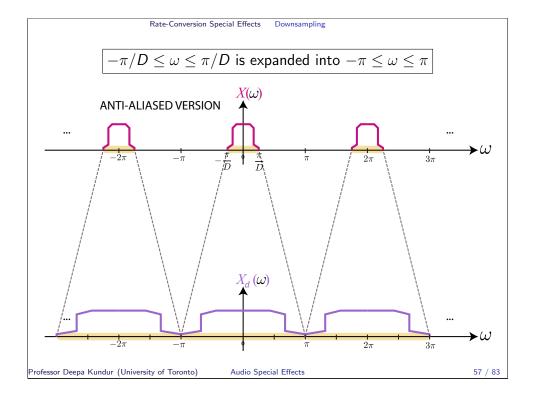
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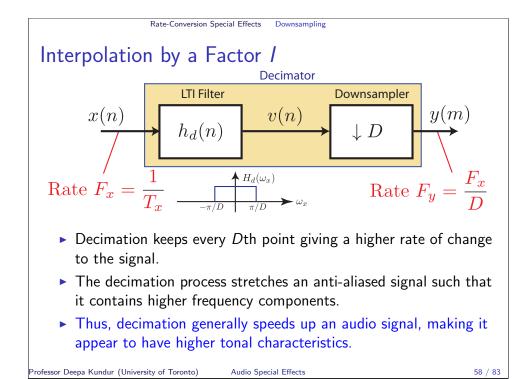


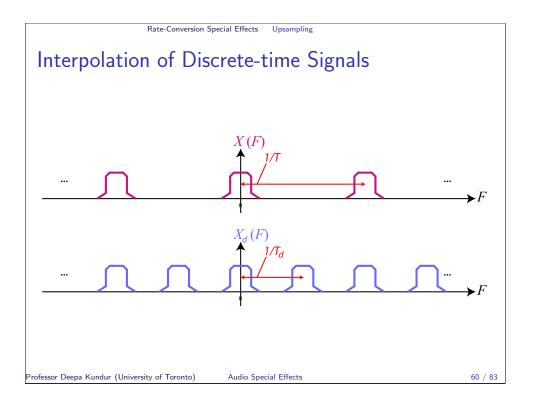


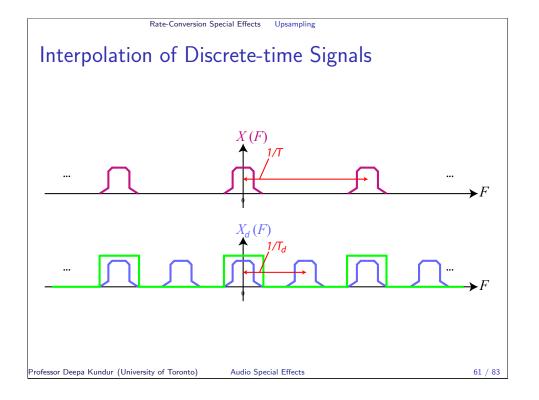
Rate-Conversion Special Effects Upsampling Interpolation of Discrete-time Signals  $x^{(n)}$   $x^{(n)}$  $x^$ 

• Interpolation for  $T_d = \frac{T}{D}$  is possible if no aliasing exists in the signal to be interpolated.

<u>Note</u>: We will later change D to I to distinguish between the decimation and interpolation factors. We use D here for simplicity as interpolation is being described, in part, as the *reverse process* of decimation.







### Rate-Conversion Special Effects Upsampling

### Interpolation of Discrete-time Signals

Step 1: 
$$x_a(t)$$
 can be reconstructed from  $x_d(n)$  as follows

$$x_a(t) = \sum_{m=-\infty}^{\infty} x_d(m) \frac{\sin \frac{\pi}{DT}(t - mDT)}{\frac{\pi}{DT}(t - mDT)}$$

Step 2: Sample  $x_a(t)$  to produce x(n):

$$\begin{aligned} x(n) &= x_a(nT) = \sum_{m=-\infty}^{\infty} x_d(m) \frac{\sin \frac{\pi}{DT}(nT - mDT)}{\frac{\pi}{DT}(nT - mDT)} \\ &= \sum_{m=-\infty}^{\infty} x_d(m) \frac{\sin \frac{\pi}{D}(n - mD)}{\frac{\pi}{D}(n - mD)} \end{aligned}$$

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### Interpolation of Discrete-time Signals

Analysis Strategy:

- ▶ We consider the process of discrete-time interpolation; i.e., obtaining x(n) from its decimated version  $x_d(n) = x(nD)$ .
- ▶ We will assume that no aliasing resulted from the decimation process.
- We will determine a relationship between x(n) and  $x_d(n)$  in the following way:
  - 1. Let us mathematically reconstruct  $x_a(t)$  from  $x_d(n)$  assuming a sampling period of DT.

Upsampling

2. Let us then sample  $x_a(t)$  with a sampling period of T to construct x(n).

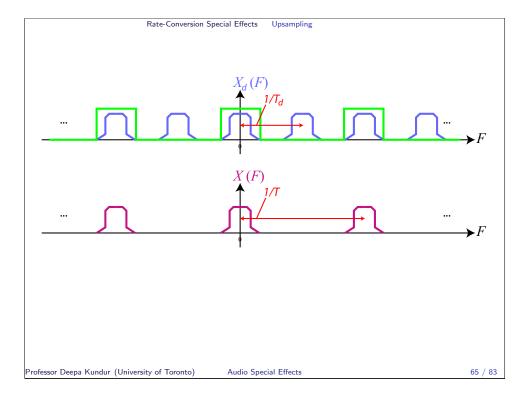
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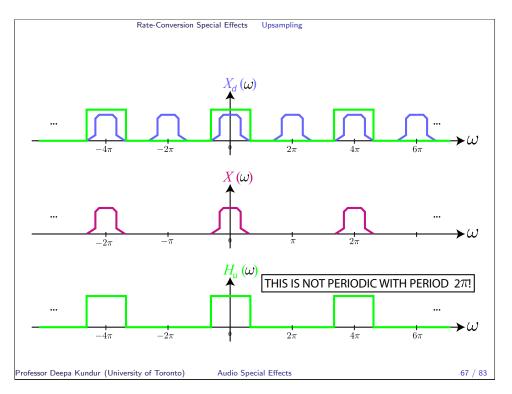
Rate-Conversion Special Effects Upsampling  
Interpolation of Discrete-time Signals  

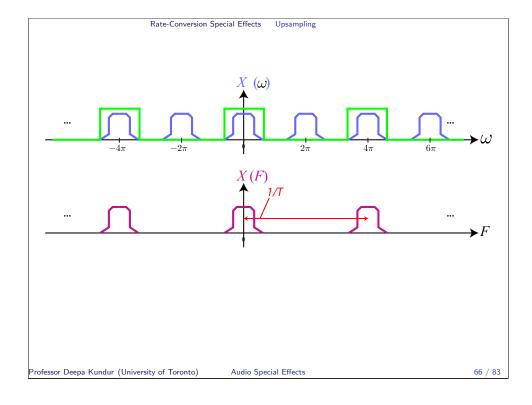
$$x(n) = \sum_{m=-\infty}^{\infty} x_d(m) \left[ \frac{\sin \frac{\pi}{D}(n-mD)}{\frac{\pi}{D}(n-mD)} \right]$$

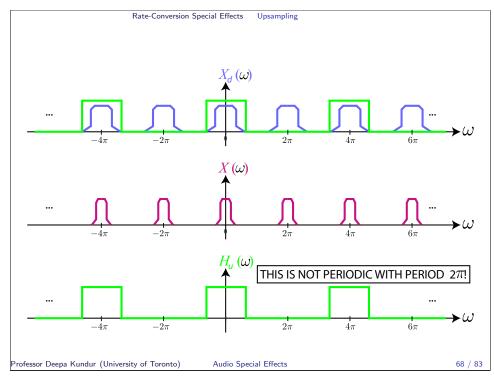
$$= \sum_{m=-\infty}^{\infty} x_d(m) g_{BL}(n-mD)$$
where  

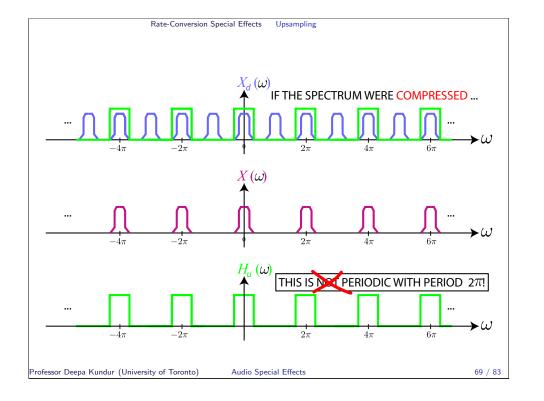
$$g_{BL}(n) = D \frac{\sin(\pi/D)n}{\pi n} \quad \xleftarrow{\mathcal{F}} \quad G_{BL}(\omega) = \begin{cases} D & |\omega| \leq \frac{\pi}{D} \\ 0 & \frac{\pi}{D} < |\omega| \leq \pi \end{cases}$$

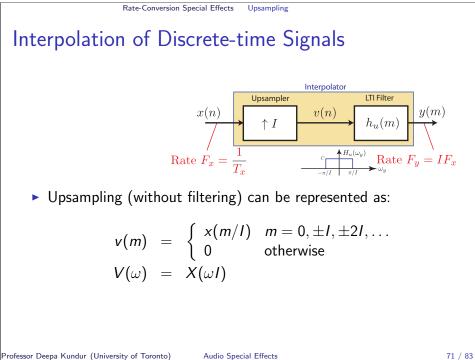


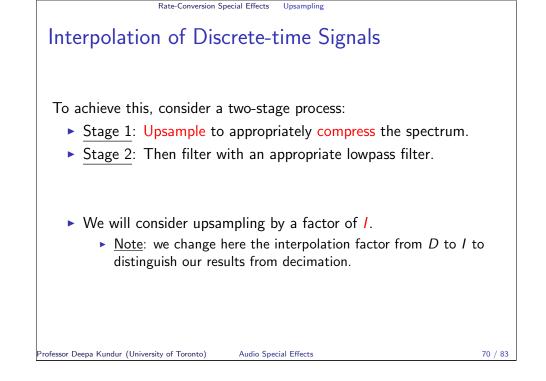


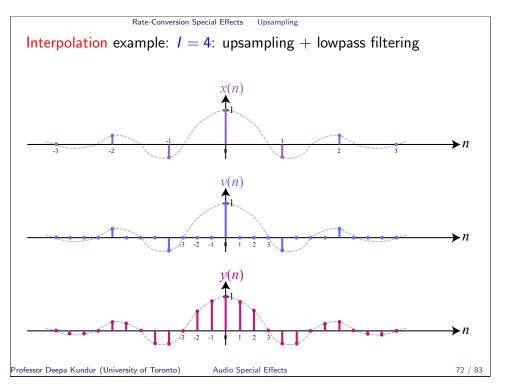


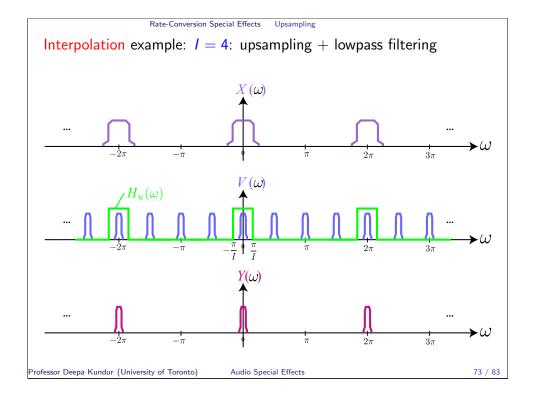












Overall,  $V(\omega) = X(\omega I)$   $H_{u}(\omega) = \begin{cases} I & 0 \le |\omega| \le \pi/I \\ 0 & \text{otherwise} \end{cases}$ 

Rate-Conversion Special Effects

$$Y(\omega) = H_u(\omega)V(\omega) = \begin{cases} IX(\omega I) & 0 \le |\omega| \le \pi/I \\ 0 & \text{otherwise} \end{cases}$$

Upsampling

 $Y(\omega) = \left\{ egin{array}{cc} IX(\omega I) & 0 \leq |\omega| \leq \pi/I \ 0 & ext{otherwise} \end{array} 
ight.$ 

$$-\pi \le \omega \le \pi$$
 is compressed into  $-\pi/I \le \omega \le \pi/I$ 



